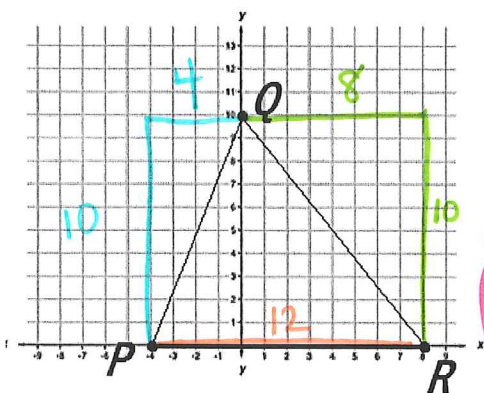


Name Key

Triangle Coordinate Geometry Examples Day 2

6. a.) Is ΔPQR isosceles? Why or why not. SHOW MATH! To check congruent sides, distances!!



$$4^2 + 10^2 = PQ^2$$

$$16 + 100 = PQ^2$$

$$\sqrt{116} = PQ$$

$$2\sqrt{29} = PQ$$

$$8^2 + 10^2 = QR^2$$

$$64 + 100 = QR^2$$

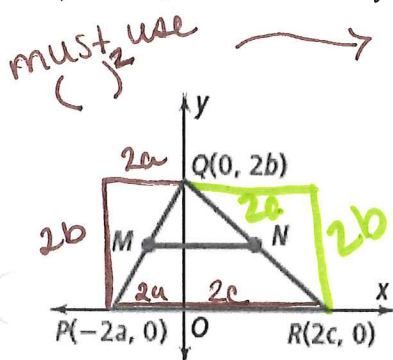
$$\sqrt{164} = QR$$

$$2\sqrt{41} = QR$$

$PR = 12$ units
(Just count!)

No sides are $\cong \therefore$
 ΔPQR is NOT
Isosceles

b.) Is ΔPQR isosceles? Why or why not. SHOW MATH! To check congruent sides, Distances!!



$$(2b)^2 + (2a)^2 = PQ^2$$

$$4b^2 + 4a^2 = PQ^2$$

$$\sqrt{4b^2 + 4a^2} = PQ$$

$$(2b)^2 + (2c)^2 = QR^2$$

$$4b^2 + 4c^2 = QR^2$$

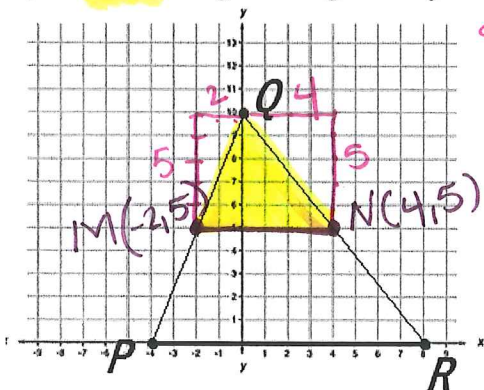
$$\sqrt{4b^2 + 4c^2} = QR$$

$PR = 2a + 2c$
Just counted!

No sides are $\cong \therefore \Delta PQR$
is NOT isosceles

7. M and N are midpoints of QP and QR respectively for ΔPQR . $P(-4,0)$, $Q(0,10)$, and $R(8,0)$. Record your midpoints from question 2.

a.) Is ΔMQN a right triangle? Why or why not. SHOW MATH! To check for right angles, slopes! | slopes!



$$\text{Slope } QN = -\frac{5}{4}$$

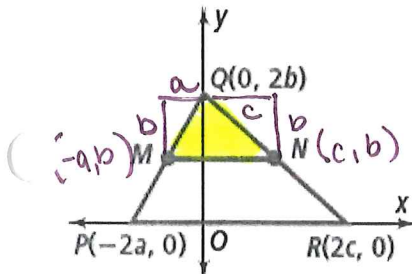
$$\text{Slope } MQ = \frac{5}{2}$$

$$\text{Slope } MN = \frac{0}{6} = 0$$

No \perp slopes
 $\therefore \Delta MQN$ is not
a Right Δ

Record your midpoints from question 2.

b.) Is ΔMQN a right triangle? Why or why not. SHOW MATH! To check for right angles, \perp slopes.



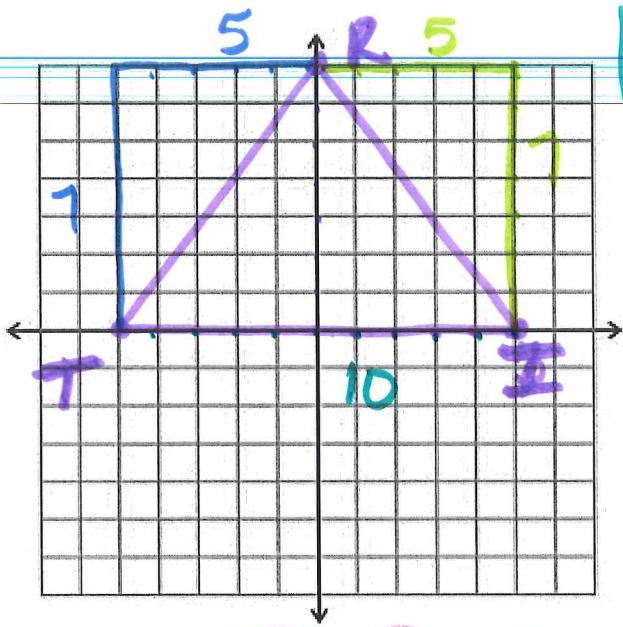
$$\text{Slope } MN = 0$$

$$\text{Slope } QN = -\frac{b}{c}$$

$$\text{Slope } MQ = \frac{b}{a}$$

No \perp slopes
 $\therefore \Delta MQN$ is NOT
a Right Δ

8. Determine if $\triangle TRI$ is an isosceles triangle if you are given the vertices $T(-5,0)$, $R(0,7)$, and $I(5,0)$.



$TI = 10$ units Just count!

$$7^2 + 5^2 = RI^2$$

$$49 + 25 = RI^2$$

$$\sqrt{74} = RI$$

$$7^2 + 5^2 = TR^2$$

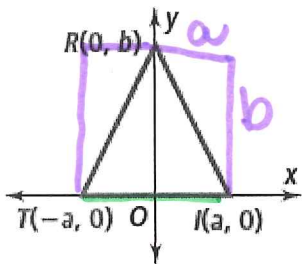
$$49 + 25 = TR^2$$

$$\sqrt{74} = TR$$

Oh, look!
Same lengths!

$RI \cong TR \therefore \triangle TRI$ is isosceles by definition

9. Determine if $\triangle TRI$ is an isosceles triangle if you are given the vertices below.



$TI = 2a$ Just count

$$a^2 + b^2 = RI^2$$

$$\sqrt{a^2 + b^2} = RI$$

$$a^2 + b^2 = RT^2$$

$$\sqrt{a^2 + b^2} = RT$$

Oh look!

$RI \cong RT \therefore \triangle TRI$ is isosceles by definition!