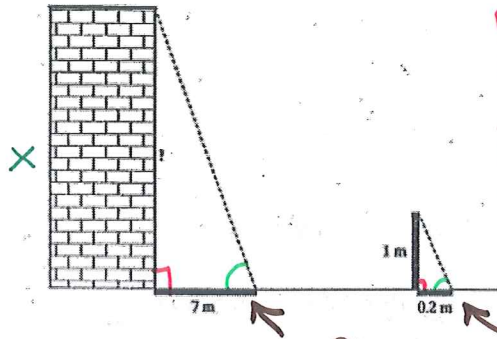


Indirect Measurement Notes- Geometry

Using Similar Triangles

Mrs. Smith's class is using the shadow method to estimate the height of their school building. They have made the following measurements and sketch:

- Length of the meterstick = 1 m
- Length of the meterstick's shadow = 0.2 m
- Length of the building's shadow = 7 m



In a perfect world Buildings, trees, People are all \perp Perpendicular to the ground so Right \angle s are \cong

Big Δ

$$\frac{\text{height}}{\text{height}} = \frac{\text{shadow}}{\text{shadow}}$$

little Δ

$$\frac{x}{1} = \frac{7}{0.2}$$

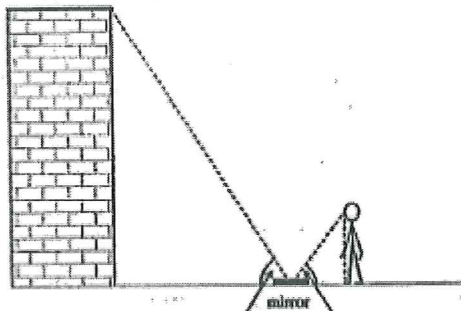
$$0.2x = 7$$

$$x = 35\text{m}$$

Use what you know about similar triangles to find the building's height from the given measurements. Explain your work.

ray of sun hits ground at same angle \therefore AA Similarity.

Jim and Sally, students in Mrs. Smith's class, are using the mirror method to estimate the height of their school building. They have made the following measurements and sketch:



These angles are equal because light reflects off of a mirror at the same angle at which it hits the mirror.

Big Δ

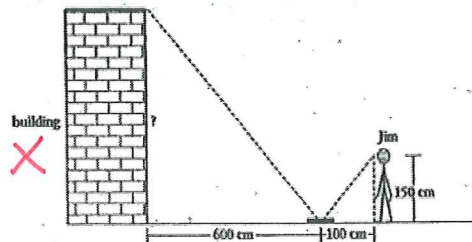
$$\frac{\text{height}}{\text{height}} = \frac{\text{to mirror}}{\text{to mirror}}$$

little Δ

$$\frac{x}{150} = \frac{600}{100}$$

$$x = 900\text{cm}$$

- Height from the ground to Jim's eyes = 150 cm
- Distance from the middle of the mirror to Jim = 100 cm
- Distance from the middle of the mirror to the building = 600 cm



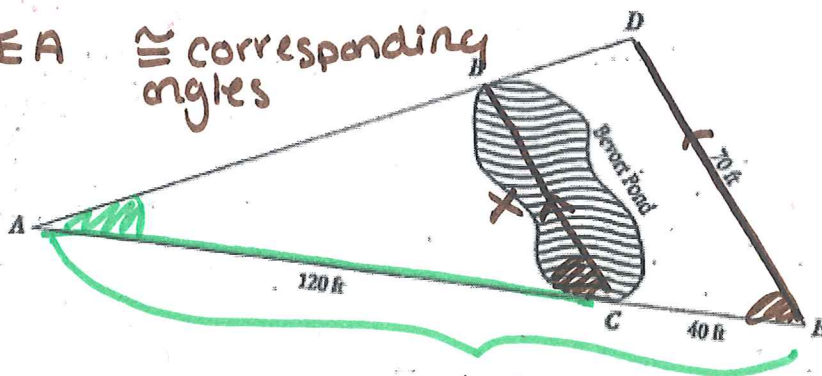
~~height~~
~~height~~
height

~~height~~

Mrs. Smith's class went to Beaver Pond for a picnic. Darnell, Angie, and Trevor wanted to find the distance across the pond. Darnell and Angie suggested that Trevor swim across with the end of a tape measure in his mouth. Trevor declined - the water was very cold! They decided to try to use what they had learned about similar triangles to find the distance across the pond. They drew a diagram and started making the necessary measurements.

Here is the diagram Darnell, Angie, and Trevor made, including their measurements.

$\angle A \cong \angle A$ reflexive
 $\angle BCA \cong \angle DEA$ \cong corresponding angles



$$\frac{70}{x} = \frac{160}{120}$$

160ft
 must use full Δ sides

$$x = 52.5 \text{ ft.}$$