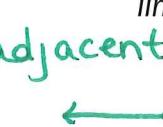


Name: _____

Hour: _____

Line and Angle Relationships

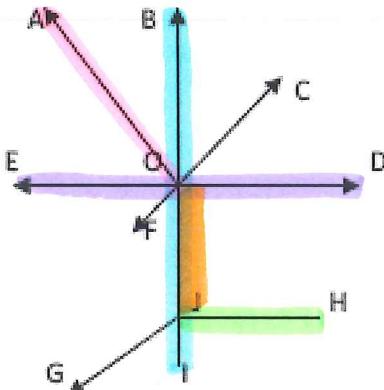
Vocabulary you should remember from elementary and middle school:

 ray \overrightarrow{PS} set of all pts in one direction	 line $\leftrightarrow \overleftrightarrow{PS}$ set of all pts in both directions	 line segment \overline{PS} or \overleftrightarrow{PS} all pts between starting + ending pt
adjacent angles that share a side/ray 	 vertical angles They are \cong	complementary angles angles that add up to $= 90^\circ$
supplementary angles angles that add up to $= 180^\circ$	 linear pair adjacent + supplementary	triangle sum theorem all 3 angles in a \triangle add up to $= 180^\circ$

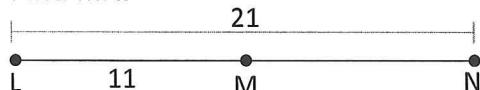
Practice

Fill in the blanks with ray, line or line segment.

1. OA is a ray
2. ED is a Line
3. JH is a line segment
4. IB is a ray
5. OJ is a line segment



6. Find MN.



$$LN = LM + MN$$

$$21 = 11 + x$$

$$x = 10 \text{ units}$$

Identify each pair of angles as adjacent, vertical, complementary, supplementary or a linear pair.

- 8.
-
- vertical angles

- 9.
-
- adjacent
complementary

- 10.
-
- adjacent
supplementary
linear pair

- 11.
-
- adjacent

- 12.
-
- adjacent
supplementary
linear pair

- 13.
-
- vertical angles

To find a missing angle in a triangle, we use

Triangle Sum Thm

Find the missing angle.

14.

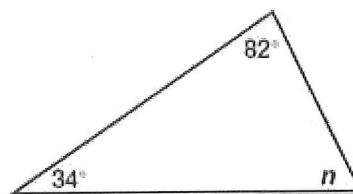


$$n + 90 + 32 = 180$$

$$n + 122 = 180$$

$$\boxed{n = 58^\circ}$$

15.



$$n + 34 + 82 = 180$$

$$n + 116 = 180$$

$$\boxed{n = 64^\circ}$$

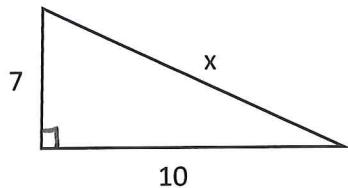
To find a missing side in a right triangle, we use the

Pythagorean Thm: $a^2 + b^2 = c^2$

\uparrow
hyp

Find x.

16.



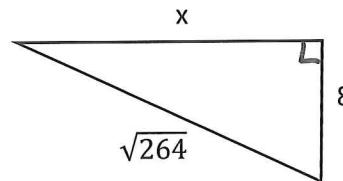
$$7^2 + 10^2 = x^2$$

$$49 + 100 = x^2$$

$$\sqrt{149} = \sqrt{x^2}$$

$$\boxed{x = \sqrt{149}}$$

17.



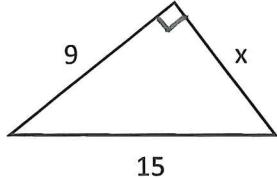
$$8^2 + x^2 = \sqrt{264}^2$$

$$64 + x^2 = 264$$

$$\sqrt{x^2} = \sqrt{200}$$

$$\begin{array}{c} \sqrt{100} \\ + \sqrt{12} \\ \hline \boxed{10\sqrt{12}} \end{array}$$

18.



$$9^2 + x^2 = 15^2$$

$$81 + x^2 = 225$$

$$x^2 = 144$$

$$\boxed{x = 12}$$

$$\boxed{x = 10\sqrt{12}}$$