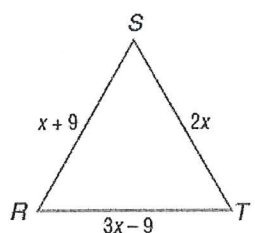


2014 Geometry Midterm Review

Directions: This review consists of problems that could be on your midterm. Make sure you complete each problem and **show your work**.

1. For equilateral $\triangle RST$, find the variable and the side lengths. All units are in inches.

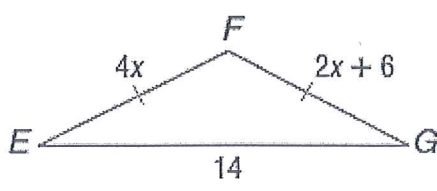


$RS \cong ST$ def of equilateral
 $x+9 = 2x$
 $9 = x$

$RS = 18$
$ST = 18$
$RT = 18$

 } inches!

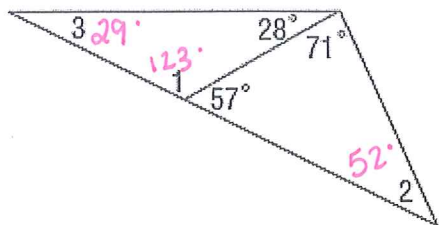
2. For isosceles $\triangle RST$, find the variable and the side lengths. All units are in centimeters.



$EF \cong FG$
 $4x = 2x + 6$
 $2x = 6$
 $x = 3$

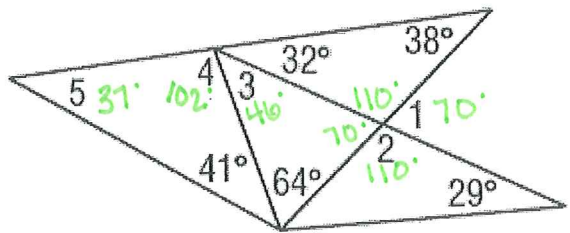
 $EF = 12 \text{ inches}$
 $FG = 12 \text{ inches}$
 $EG = 14 \text{ inches}$

3. Find the missing angle measures, $m\angle 1$ and $m\angle 2$.



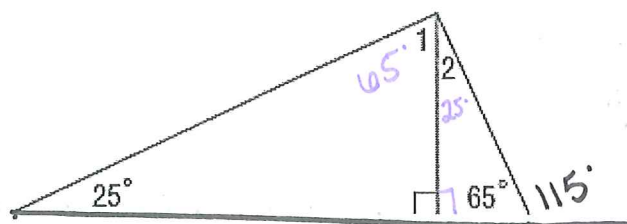
$\angle 1 + 57 = 180$ linear pairs are suppl.
 $\angle 1 = 123^\circ$
 $\angle 2 + 71 + 57 = 180$ A sum
 $\angle 2 = 52^\circ$

4. Find the missing angle measures.



$\angle 1 = 70^\circ$
 $\angle 2 = 110^\circ$
 $\angle 3 = 46^\circ$
 $\angle 4 = 102^\circ$
 $\angle 5 = 37^\circ$

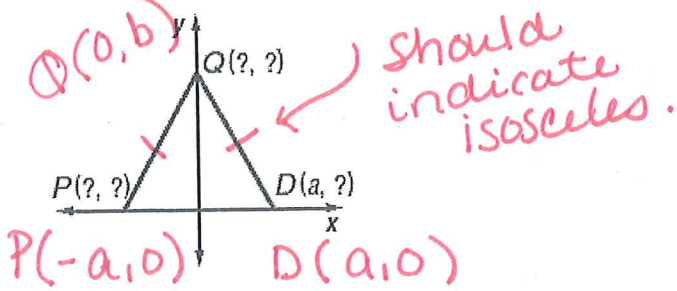
5. Find the missing angle measures.



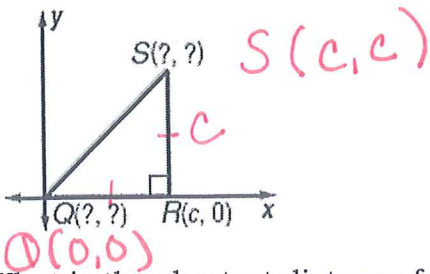
$\angle 1 = 65^\circ$
 $\angle 2 = 25^\circ$

6. Do any of the following sets of numbers create a triangle?
- a. 7, 20, 10 **NO**
 - b. 7, 9, 12 **Yes**
 - c. 16, 10, 9 **Yes**
 - d. $\sqrt{13}$, 6, 6 **Yes**
 - e. 7, 18, 11 **NO**

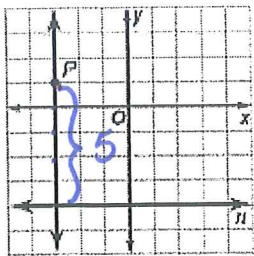
7. What are the missing coordinates of the triangle?



8. What are the missing coordinates of this isosceles right triangle?

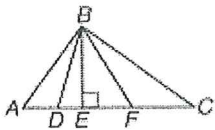


9. What is the shortest distance from P to line n?



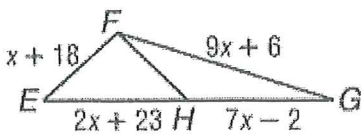
Just count!

10. What is the shortest distance from point B to segment AC?



BE

11. If FH is a median of $\triangle EFG$, find the perimeter of $\triangle EFG$.



$EH = HG$ def of median

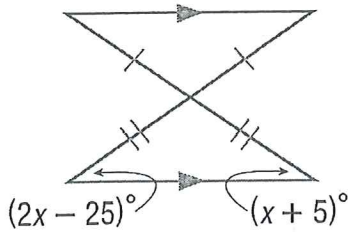
$$2x + 23 = 7x - 2$$

$$25 = 5x$$

$$\boxed{5 = x}$$

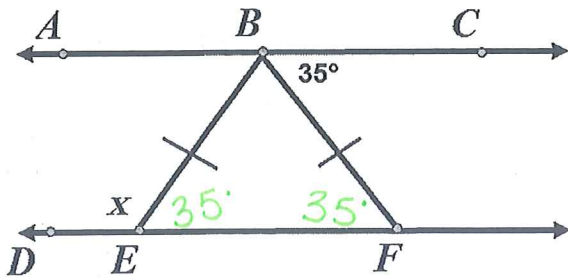
Perimeter = $5 + 18 + 9(5) + 6 + 2(5) + 23 + 7(5) - 2$
Perimeter: 140 units

12. Find x.



$2x - 25 = x + 5$ base \angle s of isosceles Δ s are \cong
 $x = 30$

13. In the figure below, B is on \overline{AC} , E is on \overline{DF} , \overline{AC} is parallel to \overline{DF} , and \overline{BE} is congruent to \overline{BF} . Name the legs of the isosceles triangle, name the base angles and vertex angle of the isosceles triangle, and provide an example of an exterior angle. What is the measure of $\angle DEB$ and $\angle EBF$?

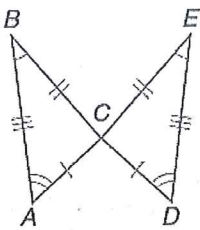


$35 + x = 180$

$x = 145^\circ$

base \angle s of isosceles Δ s are \cong and linear pairs are supple.

14. Identify the triangle ΔCAB is congruent to, then name all corresponding parts. There should be 6 pairs.



$\Delta CAB \cong \Delta CDE$

$\angle ECD \cong \angle BCA$

$\angle E \cong \angle B$

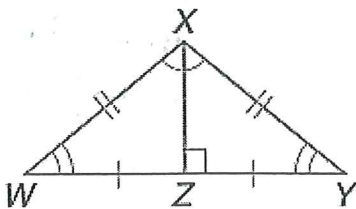
$\angle D \cong \angle A$

$\overline{AC} \cong \overline{CD}$

$\overline{CB} \cong \overline{CE}$

$\overline{BA} \cong \overline{ED}$

15. Identify the triangle ΔXZW is congruent to, then name all corresponding parts. There should be 6 pairs.



$\Delta XZW \cong \Delta XZY$

$\angle W \cong \angle Y$

$\angle WXZ \cong \angle YXZ$

$\angle XZW \cong \angle XZY$

$XZ \cong XZ$

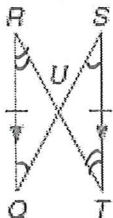
$XW \cong XY$

$ZW \cong ZY$

16. Write a two-column proof.

Given: $\overline{RQ} \cong \overline{ST}$ and $\overline{RQ} \parallel \overline{ST}$

Prove: $\Delta RUQ \cong \Delta TUS$



1. $RQ \cong ST, RQ \parallel ST$

2. $\angle S \cong \angle Q, \angle R \cong \angle T$

3. $\Delta RUQ \cong \Delta TUS$

1. given

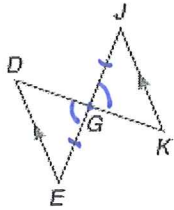
2. \parallel lines form \cong alt. int \angle s

3. ASA

17. Write a two-column proof.

Given: $\overline{DE} \parallel \overline{JK}$, \overline{DK} bisects \overline{JE} .

Prove: $\triangle EGD \cong \triangle JGK$



ASA OR AAS

1. $DE \parallel JK$,
DK bisects JE

2. $JG \cong EG$

3. $\angle DGE \cong \angle KGJ$

4. $\angle E \cong \angle J$, $\angle D \cong \angle K$

5. $\triangle EGD \cong \triangle JGK$

1. given

2. def of segment bisector

3. vertical \angle s are \cong

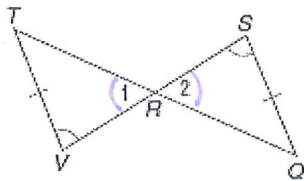
4. \parallel lines form \cong alt. int \angle s.

5. AAS OR ASA

18. Write a two-column proof.

Given: $\angle V \cong \angle S$, $\overline{TV} \cong \overline{QS}$

Prove: $\overline{VR} \cong \overline{SR}$



1. $\angle V \cong \angle S$, $\overline{TV} \cong \overline{QS}$

2. $\angle 1 \cong \angle 2$

3. $\triangle SRO \cong \triangle VRT$

4. $\overline{VR} \cong \overline{SR}$

1. given

2. vertical \angle s are

\cong

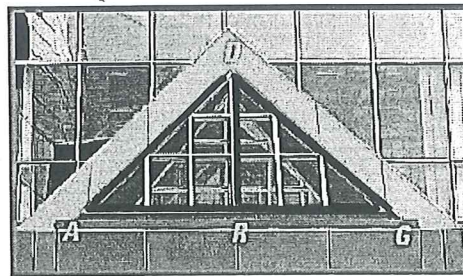
3. AAS

4. Cpctc

19.



ARCHITECTURE You are designing the window shown in the photo. You want to make $\triangle DRA$ congruent to $\triangle DRG$. You design the window so that $\overline{DR} \perp \overline{AG}$ and $\overline{RA} \cong \overline{RG}$. Can you conclude that $\triangle DRA \cong \triangle DRG$?



1. $DR \perp AG$
 $\overline{RA} \cong \overline{RG}$

2. $\angle DRA = 90^\circ$
 $\angle DRG = 90^\circ$

3. $\angle DRA \cong \angle DRG$

4. $\overline{DR} \cong \overline{DR}$

5. $\triangle DRA \cong \triangle DRG$

1. given

2. def of \perp

3. substitution

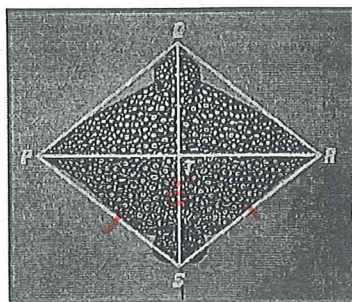
4. reflexive

5. SAS

20. Write a two column proof using the stingray below.

GIVEN $\triangleright \overline{QS} \perp \overline{RP}$, $\overline{PT} \cong \overline{RT}$

PROVE $\triangleright \overline{PS} \cong \overline{RS}$



1. $QS \perp RP$, $\overline{PT} \cong \overline{RT}$

2. $\angle STP = 90^\circ$, $\angle STR = 90^\circ$

3. $\angle STP \cong \angle STR$

4. $\overline{ST} \cong \overline{ST}$

5. $\triangle STP \cong \triangle STR$

6. $\overline{PS} \cong \overline{RS}$

1. given

2. def of \perp

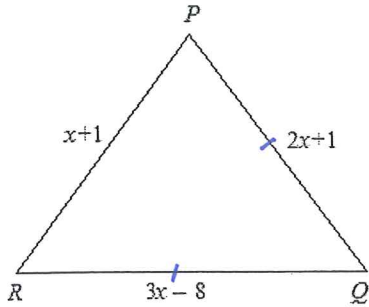
3. substitution

4. reflexive

5. SAS

6. Cpctc

21. Find x , PQ , QR , and RP if $\triangle PQR$ is an isosceles triangle with $\overline{PQ} \cong \overline{QR}$.



"Vertex $\angle Q$ "
 $PQ \cong QR$ def of isosceles \triangle

$$2x+1 = 3x-8$$

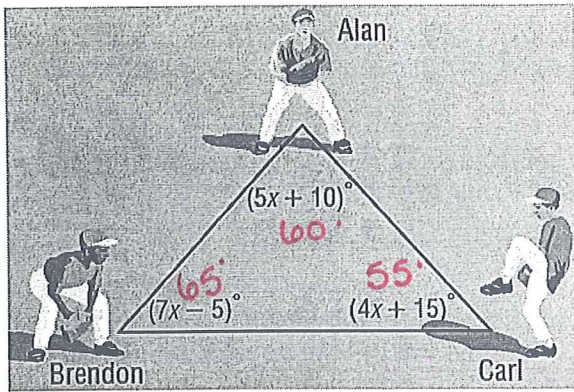
$$\boxed{19 = x}$$

$$\boxed{PQ = 19}$$

$$\boxed{QR = 19}$$

$$\boxed{PR = 10}$$

22. **BASEBALL** Alan, Brendon, and Carl were standing in a triangular formation shown. They were throwing the baseball to warm up for the game. Find the value of x , the measure of each angle and then conclude what two people must throw the farthest distance.



$$\text{Alan} + \text{Carl} + \text{Brendon} = 180^\circ \text{ sum}$$

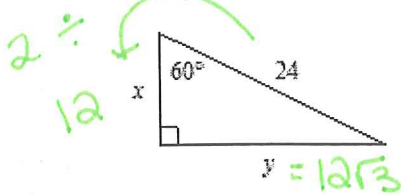
$$5x+10 + 4x+15 + 7x-5 = 180^\circ$$

$$16x + 20 = 180^\circ$$

$$\boxed{x = 10}$$

Alan and Carl must throw the farthest distance because opposite the greatest angle is the greatest side.

23. Find x and y .



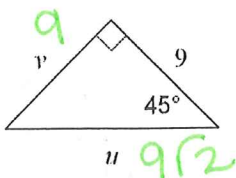
a. $x = 24\sqrt{3}, y = 24$

b. $x = 12\sqrt{3}, y = 12$

c. $x = 24, y = 24\sqrt{3}$

d. $x = 12, y = 12\sqrt{3}$

24.



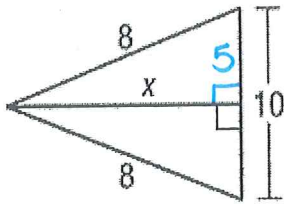
A) $u = 9\sqrt{2}, v = 9$

B) $u = \frac{9\sqrt{3}}{2}, v = 18\sqrt{2}$

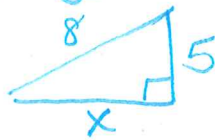
C) $u = 9, v = 9\sqrt{2}$

D) $u = 18\sqrt{2}, v = \frac{9\sqrt{3}}{2}$

25. Find x.



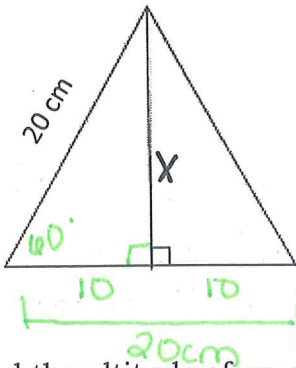
Pythagorean Theorem



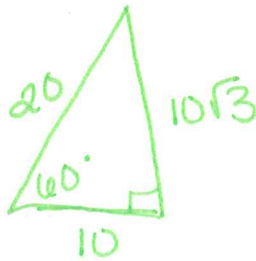
$$x^2 + 5^2 = 8^2$$

$$x = \sqrt{39}$$

26. Find the altitude of an equilateral triangle whose sides are 20 cm long.

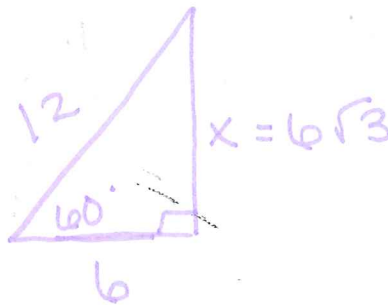
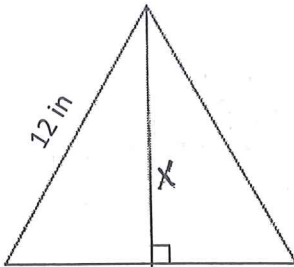


60° < s



$$x = 10\sqrt{3} \text{ cm}$$

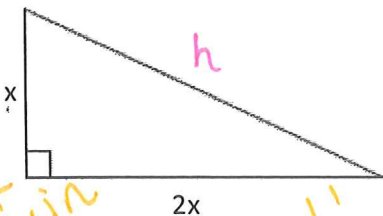
27. Find the altitude of an equilateral triangle whose sides are 12 in long.



$$x = 6\sqrt{3} \text{ in}$$

28. Find the hypotenuse of a right triangle where one leg is twice the other leg.

This is a great question! I ♥ it and might give it to you in the near future!!



$$(2x)^2 + x^2 = h^2$$

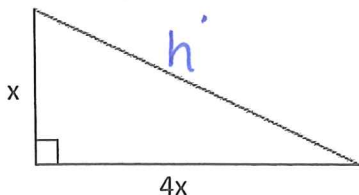
$$4x^2 + x^2 = h^2$$

$$5x^2 = h^2$$

$$\sqrt{5x^2} = h$$

$$h = x\sqrt{5}$$

29. Find the hypotenuse of a right triangle where one leg is 4 times the other leg.



$$x^2 + (4x)^2 = h^2$$

$$x^2 + 16x^2 = h^2$$

$$17x^2 = h^2$$

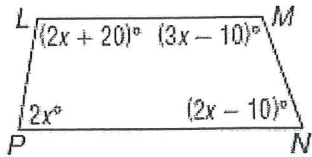
$$\sqrt{17x^2} = h$$

$$h = x\sqrt{17}$$

$$\sqrt{17x^2} = \sqrt{17} \sqrt{x^2} = x\sqrt{17}$$

I ♥ This question!!

30. Find x , the interior sum, exterior sum, and $\angle M$.



Int \angle sum
 $180(n-2) = S$
 $180(4-2) = S$
 $360 = S$

Interior Angle Sum = 360°

Exterior Angle Sum = 360°

$x = 40$

$\angle M = 110^\circ$

Find x :

$\angle L + \angle M + \angle N + \angle P = 360^\circ$

$2x + 20 + 3x - 10 + 2x - 10 + 2x = 360$

$9x = 360$

$x = 40^\circ$

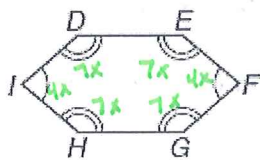
Find $m\angle M$

$\angle M = 3(40) - 10$

$\angle M = 110^\circ$

31. Find x , the interior sum, exterior sum, and $\angle G$.

hexagon $DEFGHI$ with
 $\angle D \cong \angle E \cong \angle G \cong \angle H$, $\angle F \cong \angle I$,
 $m\angle D = 7x$, $m\angle F = 4x$



Int \angle sum
 $180(6-2) = 720^\circ$

Interior Angle Sum = 720°

Exterior Angle Sum = 360°

$x = 20^\circ$

$\angle G = 140^\circ$

Find x

$4(7x) + 2(4x) = 720^\circ$

$36x = 720^\circ$

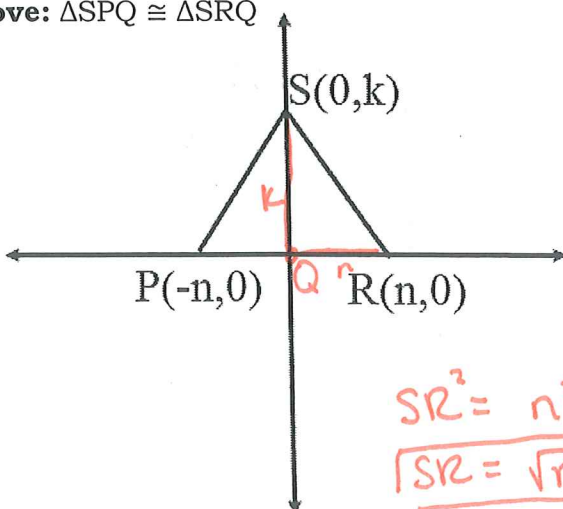
$x = 20$

$\angle G \cong \angle D$
 $\angle G = 7(20)$
 $\angle G = 140^\circ$

32. Write a coordinate proof. Q is $(0,0)$

Given: Coordinates of vertices of $\triangle SPQ$ and $\triangle SRQ$. $SQ = k$

Prove: $\triangle SPQ \cong \triangle SRQ$



$SQ \cong SQ$ Reflexive

$QR = n$ $QP = n \rightarrow QR \cong QP$

conclude:
 $\triangle SPQ \cong \triangle SRQ$
 by SSS

$SR^2 = n^2 + k^2$

$SR = \sqrt{n^2 + k^2}$

$SP^2 = n^2 + k^2$

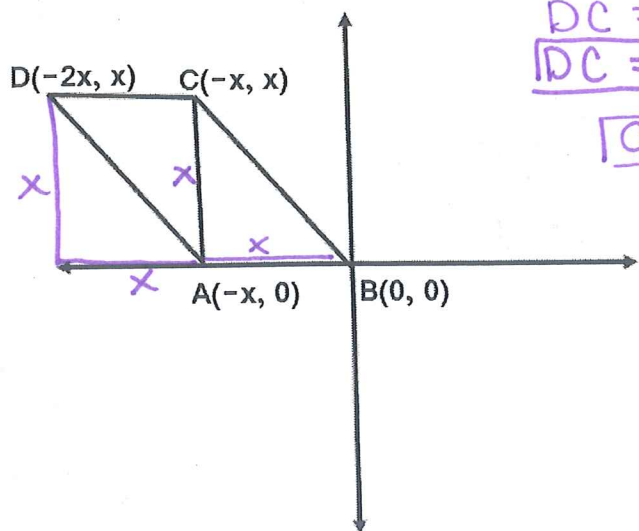
$SP = \sqrt{n^2 + k^2}$

$SR \cong SP$

33. Write a coordinate proof.

Given: Coordinates of vertices of $\triangle ACD$ and $\triangle CAB$.

Prove: $\triangle ACD \cong \triangle CAB$



$$\boxed{AB = x}$$

$$DC = 2x - x \rangle AB \cong DC$$

$$\boxed{DC = x}$$

$$\boxed{CA = x = AC} \text{ Reflexive}$$

$$AD^2 = x^2 + x^2$$

$$CB^2 = x^2 + x^2$$

$$AD = \sqrt{2x^2}$$

$$CB = \sqrt{2x^2}$$

$$AD = |x|\sqrt{2}$$

$$\boxed{CB = |x|\sqrt{2}}$$

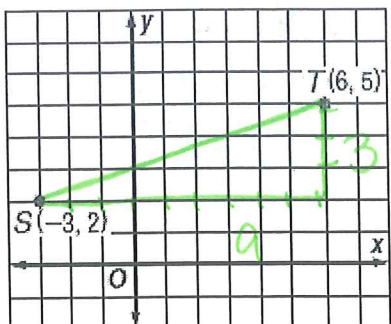
$$\text{OR JUST}$$

$$\boxed{AD = x\sqrt{2}}$$

$$\boxed{AD \cong CB}$$

$\triangle ACD \cong \triangle CAB$ by SSS

34. Find the distance between points S and T.



$$ST^2 = 9^2 + 3^2$$

$$ST = \sqrt{90}$$

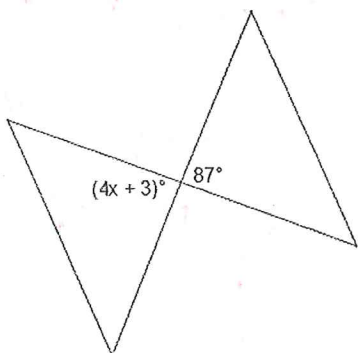
$$ST^2 = 81 + 9$$

$$\sqrt{9} \sqrt{10}$$

$$\sqrt{ST^2} = \sqrt{90}$$

$$\boxed{ST = 3\sqrt{10} \text{ units}}$$

35. Find the value of x.

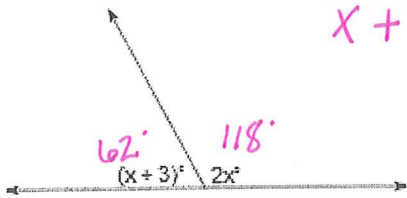


$$4x + 3 = 87 \text{ vertical } \angle \text{s are } \cong$$

$$4x = 84$$

$$\boxed{x = 21}$$

36. What is the degree measure of the larger of the two angles?



$x + 3 + 2x = 180$ linear pairs are suppl.

$3x + 3 = 180$

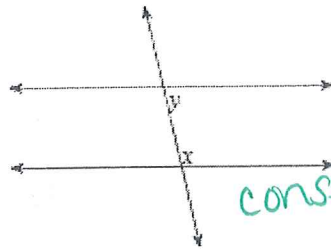
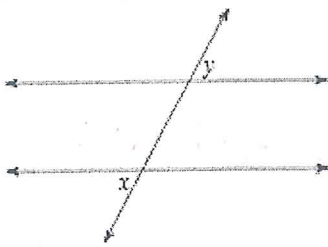
$3x = 177$

$x = 59$

The larger \angle is 118°

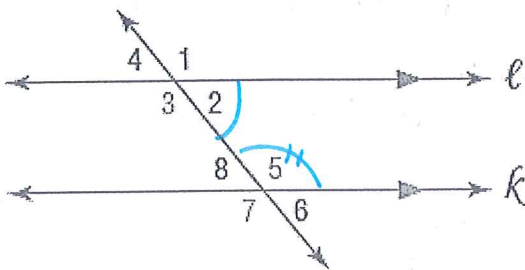
37. Name the relationships.

alt. ext. \angle s



consecutive int \angle s

38. Find x so that lines l and k are parallel, given $\angle 2 = 27x + 2$ and $\angle 5 = 18x - 2$. (// lines form)



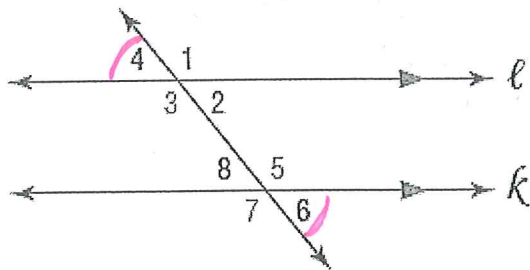
$\angle 2 + \angle 5 = 180^\circ$ con. int \angle s are suppl.

$27x + 2 + 18x - 2 = 180$

$45x = 180$

$x = 4$

39. Find x so that lines l and k are parallel, given $\angle 4 = 17x$ and $\angle 6 = -5 + 18x$.



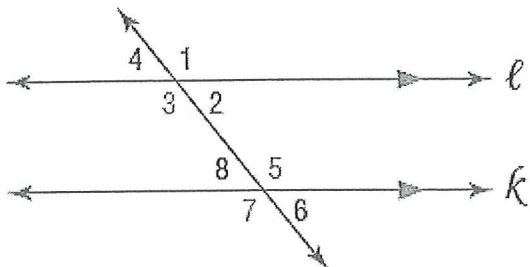
$\angle 4 \cong \angle 6$ alt ext. \angle s are \cong (// lines form)

$17x = -5 + 18x$

$-x = -5$

$x = 5$

40. Name all the relationships that allow us to say l is parallel to k .



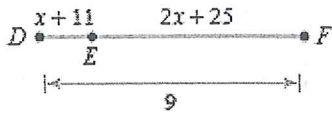
$\angle 1 \cong \angle 7$ proves $l \parallel k$ because \cong alt. ext. form // lines

$\angle 2 \cong \angle 8$ proves $l \parallel k$ because \cong alt int \angle s form // lines

$\angle 3 \cong \angle 7$ proves $l \parallel k$ because \cong corresp. \angle s form // lines

$\angle 3 + \angle 8 = 180$ proves $l \parallel k$ because Suppl. Con. int \angle s form // lines.

41. Find x , then the length of EF . Show your work, geometry and justify your set up!



$$DE + EF = DF$$

$$x + 11 + 2x + 25 = 9$$

$$3x + 36 = 9$$

$$3x = -27$$

$$\boxed{x = -9}$$

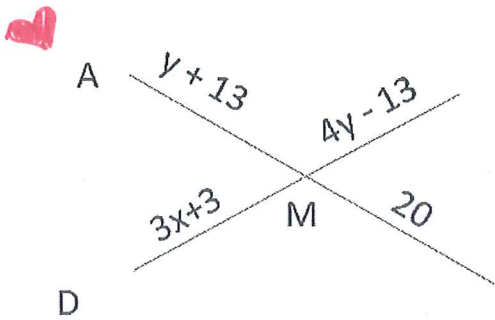
segment addition

$$EF = 2(-9) + 25$$

$$\boxed{EF = 7}$$

*AC and BD
Bisect each
other.*

42. Point M is the segment bisector of lines AC and BD . Find x , y , and BM . Show your work, geometry and justify your set up!



$AM \cong MC$ def. of bisector.

$$y + 13 = 20$$

$$\boxed{y = 7}$$

$$BM = 4(7) - 13$$

$$\boxed{BM = 15}$$

$DM \cong MB$ def of bisector

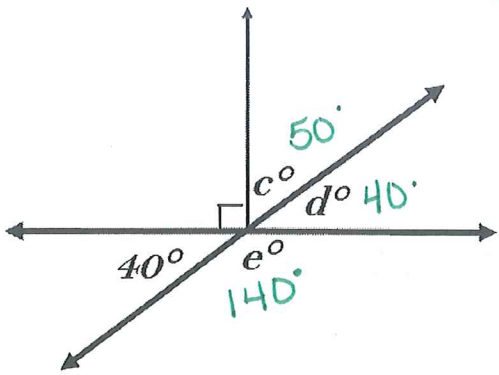
$$3x + 3 = 4(7) - 13$$

$$3x + 3 = 15$$

$$3x = 12$$

$$\boxed{x = 4}$$

43. Find all the missing angle measures. Then find the value of $2d - 3(e - c)$.



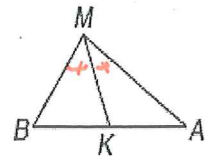
This is NOT a hard question at all!! You can't freak out!

$$2(40) - 3(140 - 50)$$

$$\boxed{= -190}$$

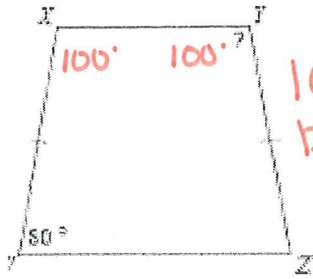
44. Given the following triangle with angle bisector MK state if the following statements are true or false.

- a. $m\angle MKA = 90^\circ$ \times
- b. $BK \cong AK$ \times
- c. $m\angle BMK = m\angle AMK$ \checkmark
- d. $\triangle BMA$ is isosceles with vertex angle M . \times



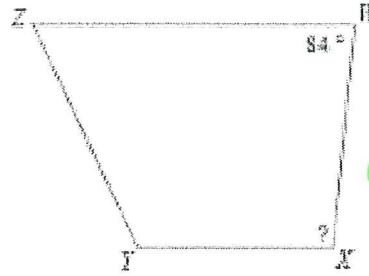
45. Find the missing angle in the following trapezoids.

a.



100°
base \angle s of
isosceles
trapezoids
are
 \cong

b.



? + 84 = 180°
con. int \angle s
are suppl.
96°

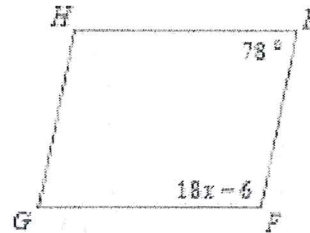
46. Given that the following are parallelograms, find x.

a.



$QR \cong PS$ op. sides of // - ogram
are \cong
 $2x-8 = 3+x$
 $x = 11$

b.



$\angle E + \angle F = 180^\circ$ con. int \angle s are
suppl.
 $78 + 18x - 6 = 180^\circ$
 $18x + 72 = 180^\circ$
 $18x = 108$
 $x = 6$

c.

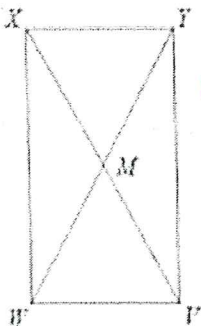


$\angle P \cong \angle R$ op. \angle s of
a parallelogram
are \cong
 $46 = 4x + 10$
 $36 = 4x$
 $9 = x$

47. Find x for the following quadrilaterals:

a. Suppose VWXY is a rectangle and

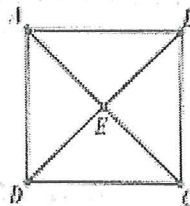
$XV = 4x - 9$ and $WY = x + 3$



$XV \cong WY$ diags of a
rectangle are \cong
 $4x-9 = x+3$
 $3x = 12$
 $x = 4$

b. Suppose ABCD is a square and

$AC = 9y - 8$ and $BD = 7y + 8$



$AC \cong BD$ diags of a square
are \cong
 $9y-8 = 7y+8$
 $2y = 16$
 $y = 8$

48. a. $ABCD$ is a rectangle with $B(5, -3), C(5, -6),$ and $D(9, -3)$. Find the coordinates of A .



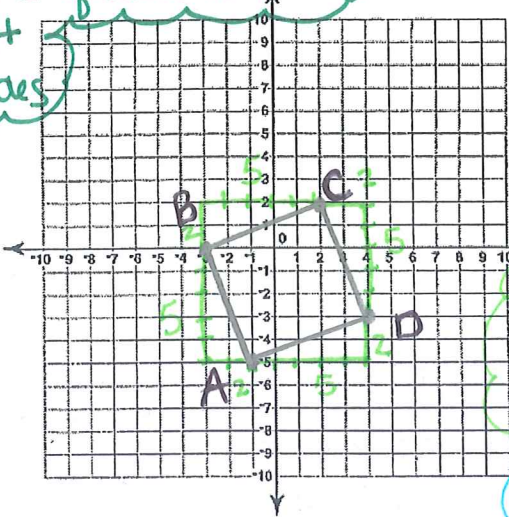
b. $ABCD$ is a rectangle with $B(10, 7), C(10, 4),$ and $D(8, 4)$. Find the coordinates of A .



49. Given the set of vertices, choose all that apply: Quadrilateral, Parallelogram, Rectangle, Rhombus, and/or Square.

a. $A(-1, -5), B(-3, 0), C(2, 2), D(4, -3)$

ABCD is a quadrilateral because it has 4 sides



Slope $AB = -\frac{5}{2}$
 Slope $BC = \frac{2}{5}$
 Slope $CD = -\frac{5}{2}$
 Slope $AD = \frac{2}{5}$

Consecutive sides are \perp creating 4 Right \angle s \therefore Rectangle by def

$AB \parallel CD$ and $BC \parallel AD$
 creating op. sides Parallel \therefore it is a Parallelogram by def

Must Find ALL Slopes AND ALL Distances!

$2^2 + 5^2 = AB^2$
 $4 + 25 = AB^2$
 $29 = AB^2$
 $\sqrt{29} = AB$

$5^2 + 2^2 = BC^2$
 $25 + 4 = BC^2$
 $29 = BC^2$
 $\sqrt{29} = BC$

$2^2 + 5^2 = CD^2$
 $4 + 25 = CD^2$
 $29 = CD^2$
 $\sqrt{29} = CD$

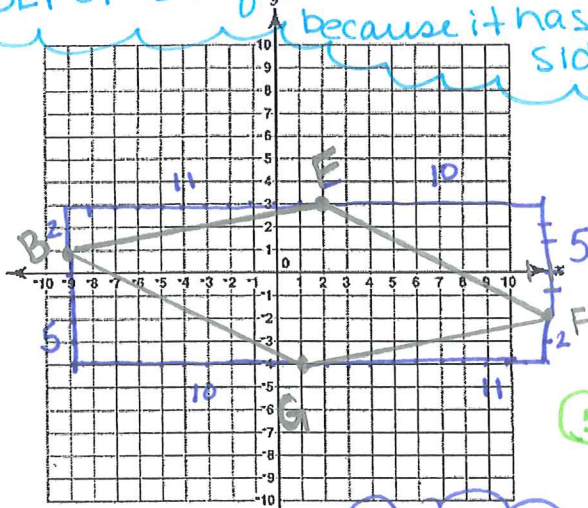
$5^2 + 2^2 = AD^2$
 $25 + 4 = AD^2$
 $29 = AD^2$
 $\sqrt{29} = AD$

ALL 4 sides are $\cong \therefore$ it is a Rhombus by def

ALL 4 sides are \cong and all consecutive sides are $\perp \therefore$ it is a Square by def

b. $B(-9, 1), E(2, 3), F(12, -2), G(1, -4)$

BEGF is a quadrilateral because it has 4 sides



distances

$2^2 + 11^2 = BE^2$
 $4 + 121 = BE^2$
 $125 = BE^2$
 $\sqrt{125} = BE$
 $5\sqrt{5} = BE$

$10^2 + 5^2 = EF^2$
 $100 + 25 = EF^2$
 $125 = EF^2$
 $\sqrt{125} = EF$
 $5\sqrt{5} = EF$

$10^2 + 5^2 = BG^2$
 $100 + 25 = BG^2$
 $125 = BG^2$
 $\sqrt{125} = BG$
 $5\sqrt{5} = BG$

$2^2 + 11^2 = GF^2$
 $4 + 121 = GF^2$
 $125 = GF^2$
 $\sqrt{125} = GF$
 $5\sqrt{5} = GF$

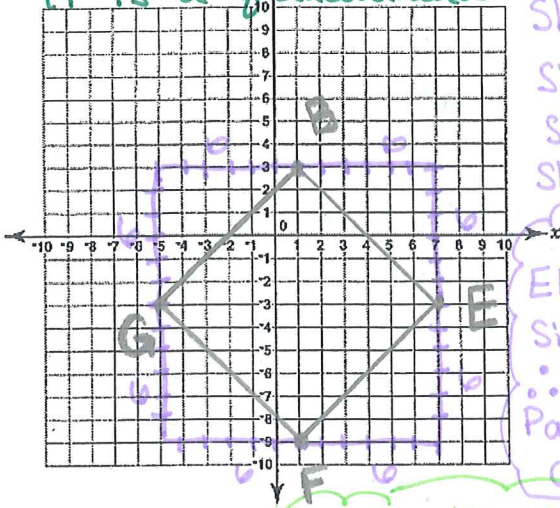
Slope $GB = -\frac{5}{10} = -\frac{1}{2}$
 Slope $BE = \frac{2}{11}$
 Slope $EF = -\frac{5}{10} = -\frac{1}{2}$
 Slope $FG = \frac{2}{11}$

$GB \parallel EF$ and $BE \parallel FG$
 op. sides are Parallel \therefore BEGF is a parallelogram

ALL 4 sides are $\cong \therefore$ BEGF is a Rhombus but NOT a square!

c. $B(1, 3), E(7, -3), F(1, -9), G(-5, -3)$

BEFG has 4 sides.
It is a quadrilateral



Slope $BE = -1$
Slope $EF = 1$
Slope $FG = -1$
Slope $GB = 1$

$BE \parallel FG$ and
 $EF \parallel GB$ so op.
Sides are \parallel
 \therefore BEFG is a
Parallelogram by
def.

$$GB^2 = 6^2 + 6^2 \quad GB = 6\sqrt{2}$$

$$BE^2 = 6^2 + 6^2 \quad BE = 6\sqrt{2}$$

$$FE^2 = 6^2 + 6^2 \quad FE = 6\sqrt{2}$$

$$GF^2 = 6^2 + 6^2 \quad GF = 6\sqrt{2}$$

ALL 4 \cong sides \therefore BEFG
is a Rhombus by def

ALL 4 sides are \cong , and
Consecutive sides are \perp
creating 4 right \angle s \therefore
BEFG is a square

Consecutive sides are \perp creating
4 Right \angle s \therefore BEFG is a Rectangle by def

50. a. In a heptagon, one interior angle measures 35 degrees. What is the total measure of the other 6 interior angles?

Sum of int \angle s
 $= 180(7-2)$

$= 900^\circ$
Total

one $\angle = 35^\circ$

The other 6 angles
must be $900 - 35$

865°

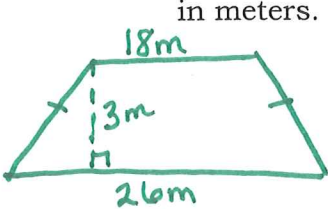
b. In a nonagon, one interior angle measures 120 degrees. What is the total measure of the other 8 interior angles?

Total sum:
 $= 180(9-2)$
 $= 1260^\circ$

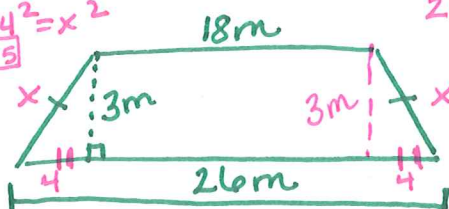
$120^\circ + x = 1260$ (sum of the other 8 interior \angle s)

$x = 1,140^\circ$

51. a. Given an isosceles trapezoid with height 3m and bases 18m and 26m. Find the perimeter, in meters.



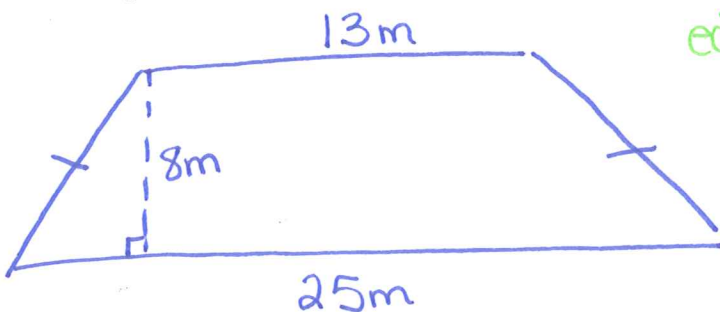
$3^2 + 4^2 = x^2$
 $x = 5$



$26 - 18 = 8 \div 2 = 4$

$18 + 5 + 26 + 5 = 54m$

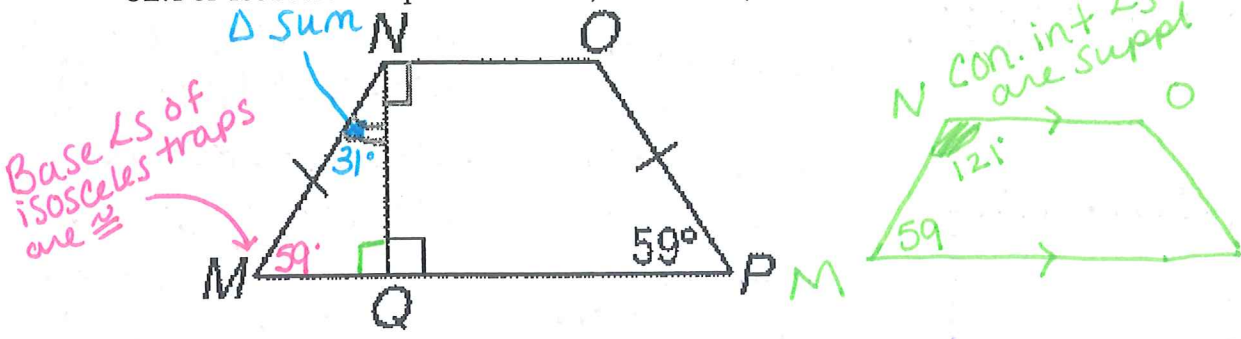
b. Given an isosceles trapezoid with height 8 m and bases 13 m and 25 m. Find the perimeter, in meters.



legs are 10m
each

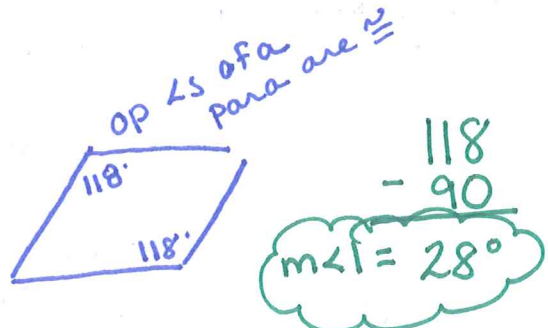
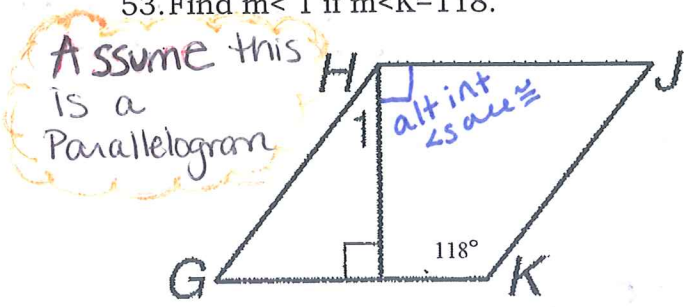
Perimeter: $58m$

52. For isosceles trapezoid $MNOP$, find $m\angle M$, $m\angle MNO$ and $m\angle MNQ$.

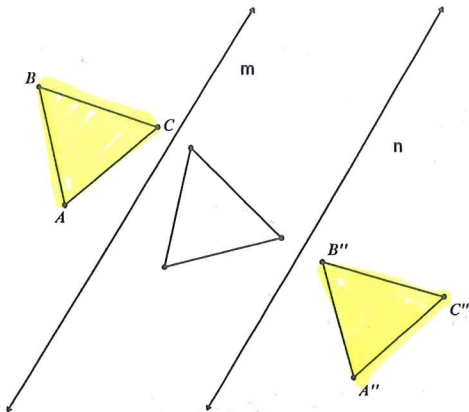


$m\angle M = \underline{59^\circ}$ $m\angle MNO = \underline{121^\circ}$ $m\angle MNQ = \underline{31^\circ}$

53. Find $m\angle 1$ if $m\angle K = 118^\circ$.



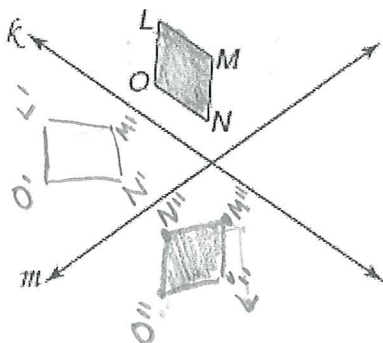
54. If $m \parallel n$ and triangle ABC is reflected over line m first, then line n , what transformation would occur from $\triangle ABC$ to $\triangle A''B''C''$?



- a. reflection
- b. dilation
- c. rotation

d. translation

55. If $LMNO$ is reflected over line k first, then line m , what transformation would occur from $LMNO$ to $L''M''N''O''$?



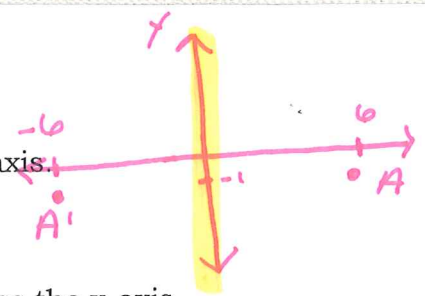
- a. reflection
- b. dilation

c. rotation

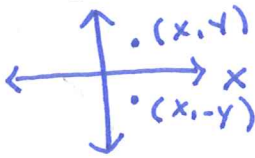
- d. translation

56. Given point A(6, -1), find its image if it is reflected across the y-axis.

- a. (-6, -1)
- b. (6, -1)
- c. (-6, 1)
- d. (-1, 6)



57. Given the point (x, y), write the image point if it is reflected across the x-axis.



$(x, -y)$

58. What is the image of Y(-7, 4) under the translation $(x, y) \rightarrow (x + 5, y)$?

$Y'(-2, 4)$

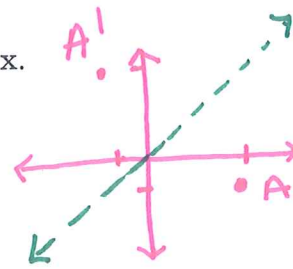
59. What is the pre-image of X'(2, 5) under the translation $(x, y) \rightarrow (x - 1, y + 2)$?

Read

$X(3, 3)$

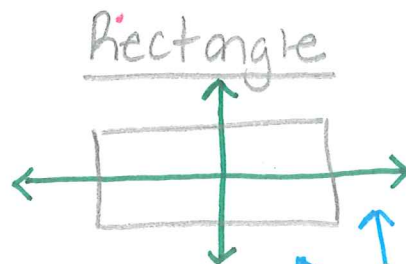
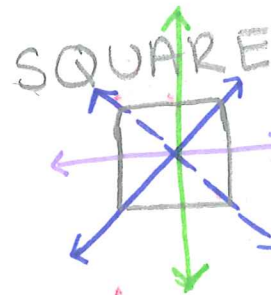
60. Find the reflection of the point A(6, -1) across the line $y = x$.

$A'(-1, 6)$

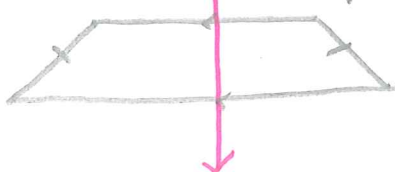


61. Symmetry: How many lines of symmetry does a(n)

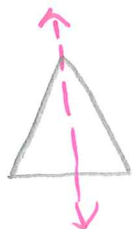
- a. Square have? 4
- b. Rectangle have? 2
- c. Isosceles Trapezoid have? 1
- d. Isosceles Triangle have? 1
- e. Equilateral Triangle have? 3
- f. Pentagon have? 0
Regular pentagon 5



Isosceles Trapezoid



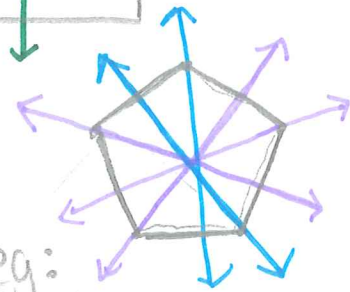
Isosceles Triangle



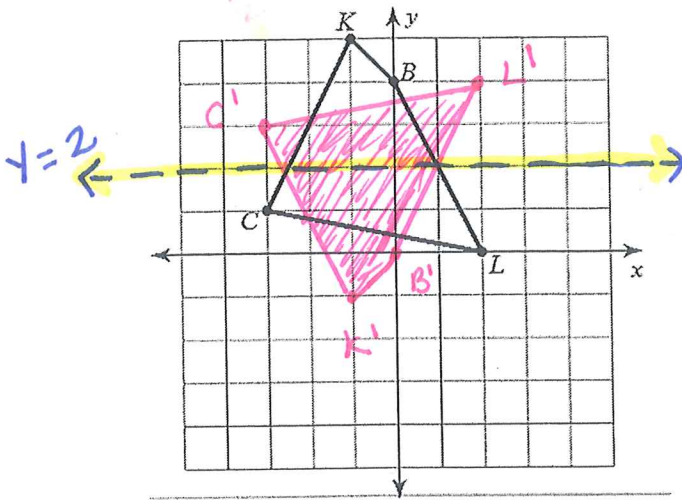
Equilateral Triangle



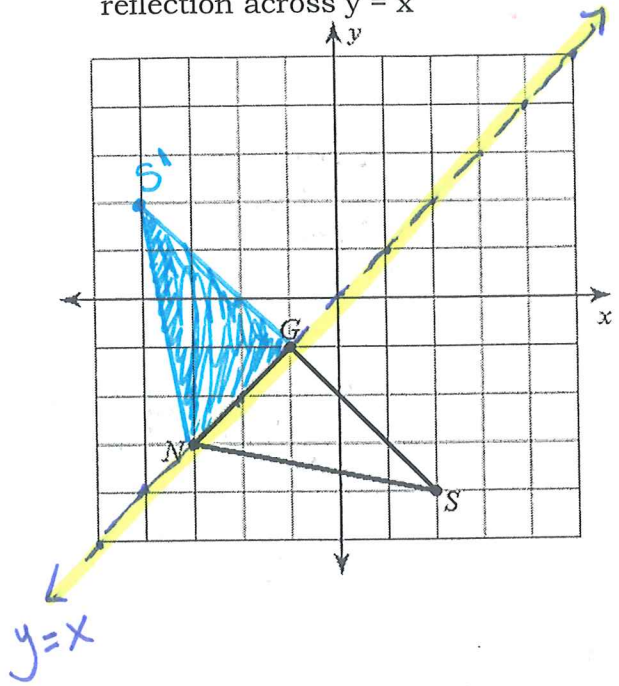
Reg: Pentagon



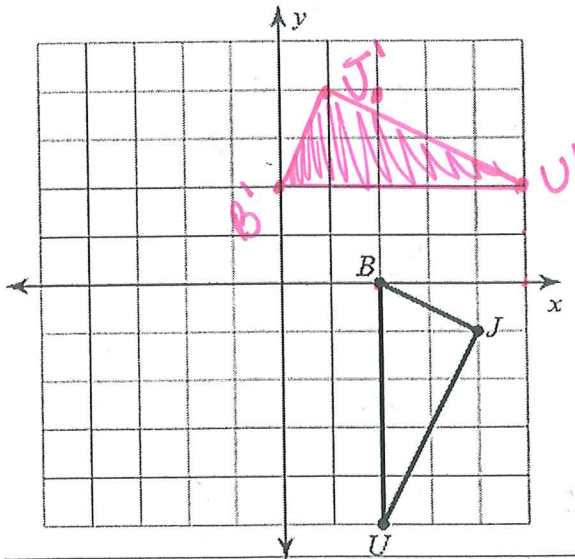
62. Graph the image of the figure with a reflection across $y = 2$



63. Graph the image of the figure with a reflection across $y = x$



64. Graph the image of the figure with a rotation 90° counterclockwise about the origin.



65. Graph the image of the figure with a rotation 90° clockwise about the origin.

