

6-2 Study Guide and Intervention *(continued)*

Exercises

Find x and y in each parallelogram.

1. $x = 30$
 $y = 22.5$

$3y = 90$
 $x = 30$

2. $x = 15$
 $y = 11$

3. $x = 2$
 $y = 4$

4. $x = 10$
 $y = 40$

5. $x = 13$
 $y = 32.5$

6. $x = 5$
 $y = 150$

Find x and y in each parallelogram.

1. $x = 4, y = 2$

2. $x = 7, y = 14$

3. $x = 15$
 $y = 7.5$

4. $x = 3\frac{1}{3}, y = 10\sqrt{3}$

5. $x = 15, y = 6\sqrt{2}$

6. $x = 15$
 $y = \sqrt{241}$

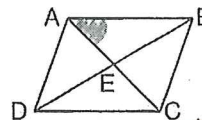
Complete each statement about $\square ABCD$.
Justify your answer.

7. $\angle BAC \cong \angle DCA$ alt int \angle s are \cong

8. $\overline{DE} \cong \overline{EB}$ diagonals of para bisect each other

9. $\triangle ADC \cong \triangle CBA$ diagonals of paras form $\cong \triangle$

10. $\overline{AD} \parallel \overline{BC}$ opp. sides of a parallelogram are \parallel .



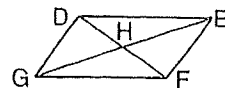
~~See next page for proofs!~~

See Next Page for Proofs!

6-2 Skills Practice

Parallelograms

Complete each statement about $\square DEFG$. Justify your answer.



1. $\overline{DG} \parallel$? \overline{EF} , opp. sides of a parallelogram are \parallel

2. $\overline{DE} \cong$? \overline{GF} , opp. sides of a para are \cong

3. $\overline{GH} \cong$? \overline{EH} , diagonals of a parallelogram bisect each other.

4. $\angle DEF \cong$? $\angle FGD$, opposite \angle s of a para are \cong

5. $\angle EFG$ is supplementary to ? $\angle DEF$ or $\angle FGD$, con. int \angle s are suppl.

6. $\triangle DGE \cong$? $\triangle FEG$ diagonals \div into 2 $\cong \triangle$ s
Have students skip for regular geo.

ALGEBRA Use $\square WXYZ$ to find each measure or value.

7. $m\angle XYZ = 50 + 70 = 120^\circ$
angle addition

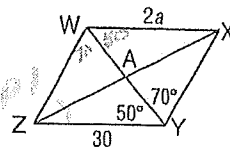
8. $m\angle WZY = 60^\circ$
con. int \angle s suppl.

9. $m\angle WXY = 60$

opp. \angle s of a parallelogram

10. $a = 15$

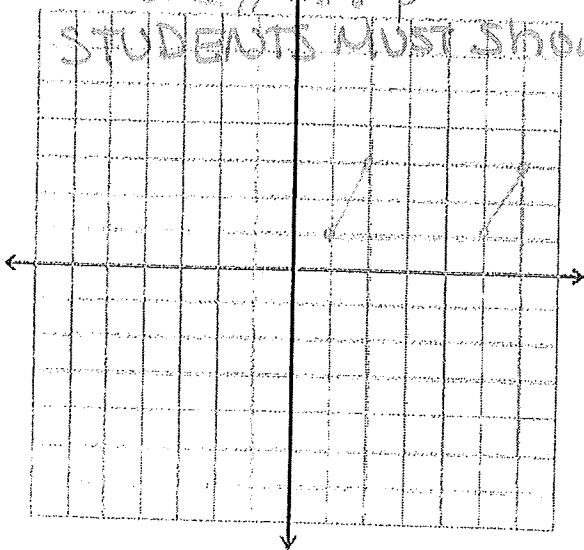
$2a = 30$ opp. sides of a para are \cong



COORDINATE GEOMETRY Find the coordinates of the intersection of the diagonals of parallelogram $HJKL$ given each set of vertices.

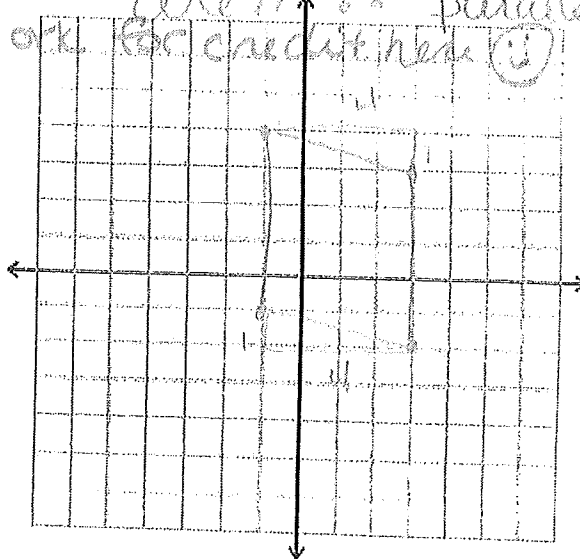
11. $H(1, 1), J(2, 3), K(6, 3), L(5, 1)$

Yes, opp. side slopes are \parallel .

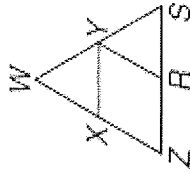


12. $H(-1, 4), J(3, 3), K(3, -2), L(-1, -1)$

yes, opp. side slopes are \parallel . parallelogram

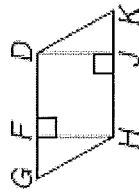


Given: $\square XYRZ$, $\overline{WZ} \cong \overline{WS}$
 Prove: $\angle XYR \cong \angle S$



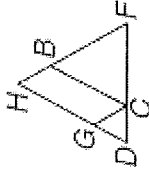
Proof:
 Opposite angles of a parallelogram are congruent, so $\angle Z \cong \angle XYR$. By the Isosceles Triangle Theorem, since $\overline{WZ} \cong \overline{WS}$, $\angle Z \cong \angle S$. By the Transitive Property, $\angle XYR \cong \angle S$.

Given: $\square DGHK$, $\overline{FH} \perp \overline{GD}$, $\overline{DJ} \perp \overline{HK}$
 Prove: $\triangle DJK \cong \triangle HFG$



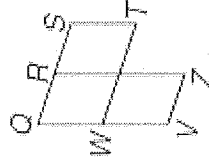
Proof:
Statements (Reasons)
 1. $\square DGHK$, $\overline{FH} \perp \overline{GD}$, $\overline{DJ} \perp \overline{HK}$ (Given)
 2. $\angle G \cong \angle K$ (Opp. \angle s of \square)
 3. $\overline{GH} \cong \overline{DK}$ (Opp. sides of \square)
 4. $\angle HFG$ and $\angle DJK$ are rt. \angle s. (\perp lines form four rt. \angle s.)
 5. $\triangle HFG$ and $\triangle DJK$ are rt. \triangle s. (Def. of rt. \triangle s)
 6. $\triangle HFG \cong \triangle DJK$ (HA)

Given: $\square BCGH$, $\overline{HD} \cong \overline{FD}$
 Prove: $\angle F \cong \angle GCB$



Proof:
Statements (Reasons)
 1. $\square BCGH$, $\overline{HD} \cong \overline{FD}$ (Given)
 2. $\angle F \cong \angle H$ (Isosceles \triangle Thm.)
 3. $\angle H \cong \angle GCB$ (Opp. \angle s of \square)
 4. $\angle F \cong \angle GCB$ (Congruence of \angle s is transitive.)

Given: $\square VZRQ$ and $\square WQST$
 Prove: $\angle Z \cong \angle T$



Proof:
Statements (Reasons)
 1. $\square VZRQ$ and $\square WQST$ (Given)
 2. $\angle Z \cong \angle Q$, $\angle Q \cong \angle T$ (Opp. \angle s of \square are \cong .)
 3. $\angle Z \cong \angle T$ (Transitive Prop.)