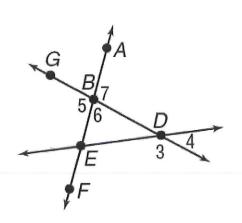
Hour

Directions: Use the figure to answer questions 1-3.

Students must review vocabulary as vocabulary will be assessed on the test. <sup>3</sup>



1) Name all angles that have B as a vertex.

<7, <6, <5, < ABG
(straight angles: < ABE + < GBD)</pre>

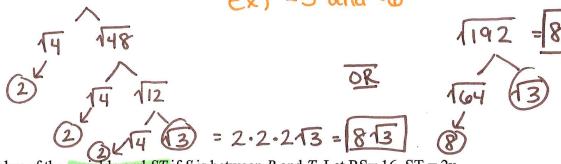
2) Name a pair of supplementary angles.

Answers will vary ex) <3+24 = 180°

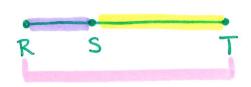
3) Name a pair of vertical angles.

Answers will vary ex) 45 and 46

4) Simplify the radical:  $\sqrt{192}$ 



5) Find the value of the variable and ST if S is between R and T. Let RS = 16, ST = 2x, RT = 5x + 10. You must show all of your work, justify, and show geometry.



RS + ST = RT segment addition

$$16 + 2x = 5x + 10$$

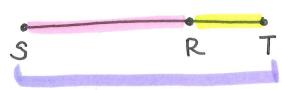
$$16 = 3x + 10$$

$$6 = 3x$$

$$x = 2$$

$$ST = (2)(2) = 4$$

6) Find the value of x and SR if R is between S and T. SR = 3x, RT = 2x + 1, ST = 6x - 1. You must show all of your work, justify, and show geometry.



$$3x + 2x + 1 = 6x - 1$$

$$5x+1=6x-1$$

$$= x-1$$
 $2 = x$ 

7) Using the picture to the right, find the length of  $\overline{XY}$ . You must show all of your work, justify, and show geometry.



$$x = 2.4 \text{ cm}$$

8) Find the value of x and ST using the figure to the right if T is the midpoint of SU. You must show all of your work, justify, and show geometry.

$$2x+1 = 3x-5$$

$$1 = x - 5$$

9) Find the value(s) of x and  $\overline{ST}$  using the figure to the right if T is the midpoint of SU,  $ST = (x - 4)^2$ , and TU = 9cm. You must show all of your work, justify, check your answers, and show geometry.

ST = TU def of midpoint  
ST = TU def of midpoint  

$$(x-4)^2 = 9$$
  
Check:  $x=7$   
 $(x-4)^2 = 3^2 = 9 \lor = ST$   
 $(x-4)(x-4) = 9$   
 $(x-4)(x-4) = 9$   
 $(x-4)^2 = 3^2 = 9 \lor = ST$   
 $(x-4)(x-4) = 9$   
 $(x-4)(x-4) = 9$   
 $(x-4)(x-4) = 9$   
 $(x-4)^2 = 3^2 = 9 \lor = ST$   
 $(x-4)(x-4) = 9$   
 $(x-7)(x-1) = 0$   
 $(x-7)(x-1) = 0$ 

10) Find the value(s) of x and BC. You must show all of your work, justify, check your answers, and show geometry.

80m - 
$$x^2 + 2x + 4x + 40 = 80$$
  
 $x^2 + 6x + 40 = 80$   
 $x^2 + 6x + 40 = 0$   
 $x^2 + 6x - 40 = 0$   
 $(x - 4)(x + 10) = 0$   
 $x - 4 = 0$   $x + 10 = 0$   
 $x - 4 = 0$   $x + 10 = 0$ 

check 
$$x=4$$

BC =  $4^2+2(4)=24$ 

CD =  $4(4)+40=56$ 
 $24+56=80$ 

check 
$$x \neq -10$$

BC =  $(-10)^2 + 2(-10) = 80$ 

CD =  $4(-10) + 40 = 0$ 

Segment cannot have a length of 0.

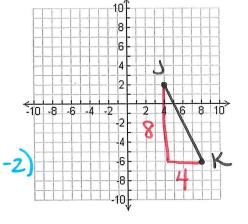
Directions: Find the distance, midpoint, and slope of each segment. You must simplify radicals and

fractions!

dist:  $8^2 + 4^2 = x^2$   $64 + 16 = x^2$   $180 = x^2$ 4 = 116

midpt:  

$$(4+8, 2+(-6))$$
  
 $=(\frac{12}{2}, \frac{-4}{2})=(6, -2)$ 



Distance: 415 units

Midpoint: (6, -2)

Slope: \_\_\_\_\_\_

$$\frac{\text{rise}}{\text{run}} = \frac{-8}{4} = -2$$

12) Find the coordinate of the endpoint S if T is the midpoint of RS and T(3, 4) and R(-2, 3).

## STUDY THIS!!

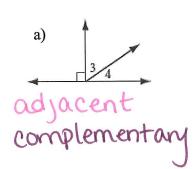
$$-\frac{2+x}{2}=3$$

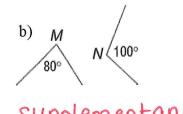
$$-2+x=6$$

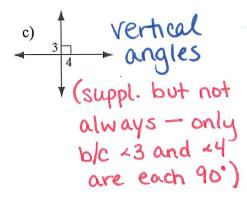
$$3+y=8$$

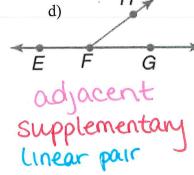
$$y=5$$

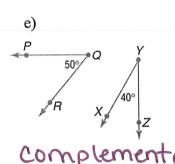
13) Classify all that apply: adjacent, vertical, linear pairs, complementary, supplementary, right angle and/or congruent.





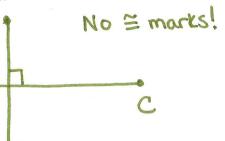




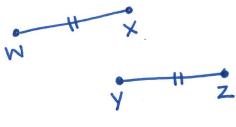


adjacent supplementary linear pair

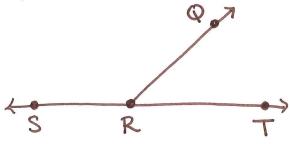
<sub>14) Draw</sub>  $\overline{FE} \perp \overline{DC}$ 



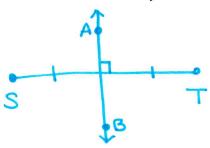
15) Draw  $\overline{WX} \cong \overline{YZ}$ 



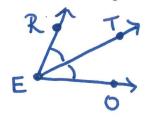
16) Draw < QRS and < QRT are a linear pair



17) Draw  $\overrightarrow{AB}$  is  $a \perp bisector \ of \ \overline{ST}$ 



18) Draw  $\overrightarrow{ET}$  is an angle bisector of  $\angle REO$ 



19) Draw  $\overline{QR}$  is a segment bisector of  $\overline{ST}$ 

